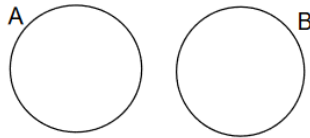
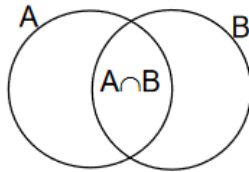


Probability

- 1 Remember that you can only add probabilities to find $P(A \cup B)$ if the events are mutually exclusive**
For example, if you want to find the probability that a student chosen at random studies either Maths or English, you need to take into account that some students might study both Maths and English – these events are not mutually exclusive. $P(A \cup B) = P(A) + P(B)$ only if A and B are mutually exclusive events.



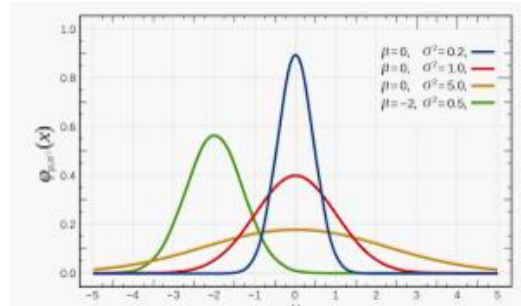
$P(A \cup B) = P(A) + P(B) - P(A \cap B)$ ALWAYS because when A and B are mutually exclusive, $P(A \cap B) = 0$



- 2 Make sure you understand clearly the difference between $P(A \cap B)$ and $P(A \cup B)$**
 $P(A \cap B)$ is the probability that both event A and event B occur. It is equal to 0 for mutually exclusive events. $P(A \cup B)$ is the probability that event A or event B or both events A and B occur.

Conditional Probability

- 1 Using a tree diagram can reduce error and simplify problems**
On some simpler problems you will not need to draw a tree diagram, but it is a very useful method to show all outcomes and probabilities and reduces errors in copying information from the question.
- 2 Learn and understand the conditional probability formula**
The formula for conditional probability is:
- $$P(B|A) = \frac{P(A \cap B)}{P(A)}$$
- which can be rearranged to produce:
- $$P(A \cap B) = P(A)P(B|A)$$
- Memorise them and understand how they work.
- 3 Read the question carefully!**
Be careful with the phrasing of the question. Sometimes the wording starts with 'Given that.....' If you are using $P(A|B)$, remember that B is the event you are given.



Normal Distribution

- 1 Use symmetry where you can**
Initially make sure you are very confident in being able to manipulate standardised test scores by using symmetry.
- 2 Make good use of diagrams to illustrate your answers**
Draw a sketch showing the distribution and shading the area you are considering.
- 3 Define your variables**
Carefully define your non-standardised variable with X or Y or (but of course not Z).
- 4 Be careful to distinguish between values of Z and values of X**
Confusion with notation makes it harder for you to be awarded method marks. Show clearly how you are standardising values.
- 5 Write down clear probability statements**
Again you are more likely to receive method marks if your statements are easy to read.
- 6 Know how to use your calculator to find Normal probabilities**
Make sure you know how to use both the Normal and inverse Normal functions.
- 7 Remember that the Normal distribution is a continuous distribution**
Probabilities such as $P(X=45)$ will be zero if X is a Normal distribution, as this would mean finding the area of a line.

Using the Normal Distribution

1	<p>Make sure you know the distribution of the sample means</p> <p>Given a population with a mean of μ and a standard deviation of σ, the distribution of sample means has a mean of μ and a standard deviation of σ/\sqrt{n}, where n is the sample size.</p>
2	<p>Remember what assumptions you are making</p> <p>You need to assume that the underlying distribution has a Normal distribution. Given a population X with a mean of μ and a standard deviation of σ, so that</p> $X \sim N(\mu, \sigma^2),$ <p>the distribution of sample means is</p> $\bar{X} \sim N\left(\mu, \frac{\sigma^2}{n}\right).$
3	<p>Write down clear probability statements</p> <p>Again you are more likely to receive method marks if your statements are easy to read.</p>

4	<p>Make sure you write down hypotheses correctly</p> <p>Make sure you know whether you are using a one-tail test or a two-tail test. Always write down your hypotheses using symbols in terms of μ, and remember to state that μ is the true population mean (there is often a mark awarded specifically for this).</p>
5	<p>Be sure to interpret the result of the test correctly</p> <p>Make sure you know whether you are looking at the left-hand tail or the right-hand tail, so that you can draw the correct conclusion. A sketch diagram is helpful.</p>
6	<p>Remember to state the result of the test in words</p> <p>It is not enough to state “accept H_0” or “reject H_0” (although you must do this!) –you must also give the result in plain English, using words such as “the evidence suggests...” or “there is not sufficient evidence to suggest that...” – never “This proves that...”!</p>

Testing for Correlation

1	<p>Make sure that you know the difference between the meanings of r and p and use them appropriately</p> <p>The calculated value of r, which is the correlation coefficient for the sample data set, provides an estimate for ρ, which is the correlation coefficient for the parent population. You should use ρ in the statement of your hypotheses.</p>
2	<p>Make sure you write down hypotheses correctly</p> <p>Make sure you know whether you are using a one-tail test or a two-tail test. Think carefully about the form of the alternative hypothesis: depending on the wording of the question, it may be $\rho > 0$, $\rho < 0$ or $\rho = 0$. Always write down your hypotheses using symbols in terms of ρ, and remember to state that ρ is the correlation coefficient for the parent population.</p>
3	<p>Remember to state the result of the test in words</p> <p>It is not enough to state “accept H_0” or “reject H_0” (although you must do this!) –you must also give the result in plain English, using words such as “the evidence suggests...” or “there is not sufficient evidence to suggest that...” – never “This proves that...”!</p>
4	<p>Remember that correlation does not imply causation</p> <p>If there is correlation between two sets of variables, it may be the case that one variable causes the other, but this is not necessarily the case. For example, a third variable might affect both variables.</p>

